

# Reducing total call-blocking rates by flow admission control based on equality of heterogeneous traffic

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# Background(1/2)

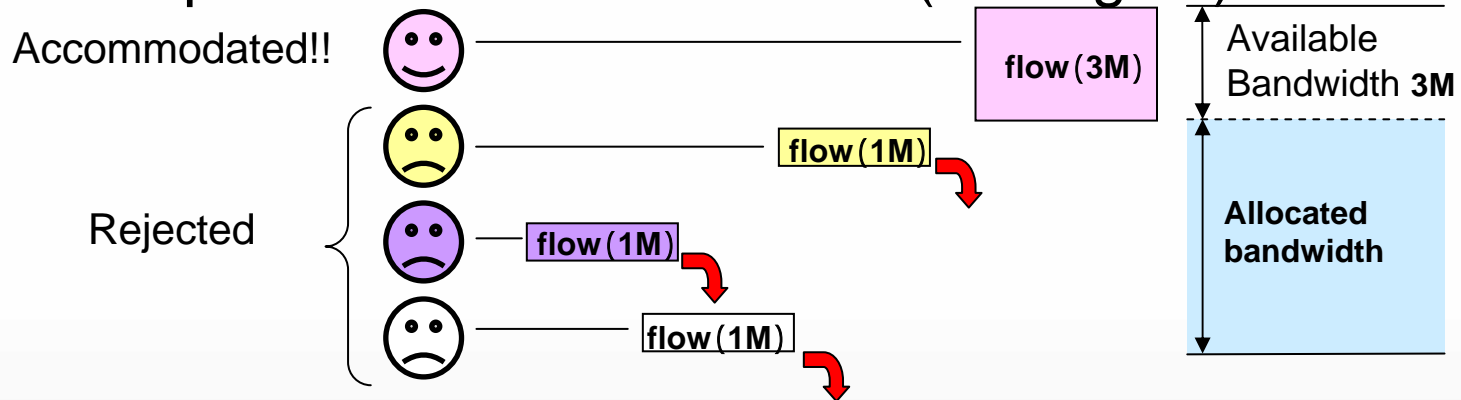


## > The spread of multimedia stream applications

- » Increase in flows of various bandwidth (heterogeneous traffic)
- » Occupies most networks
  - > To maintain high-quality service → CAC

## > CAC (Call Admission Control)

- » To improve resource utilization (main goal)



- » **What do you think about users' satisfaction?**

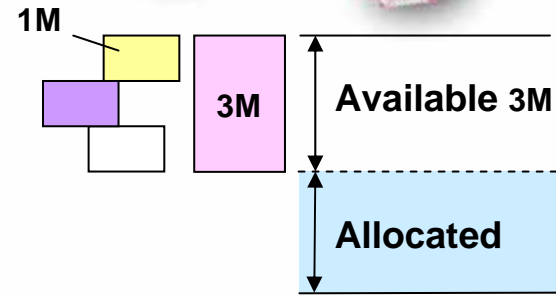
*Users' satisfaction: the level of individual satisfaction depend on the success of CACs in accommodating flows*

# Background(2/2)



➤ To improve **resource utilization**

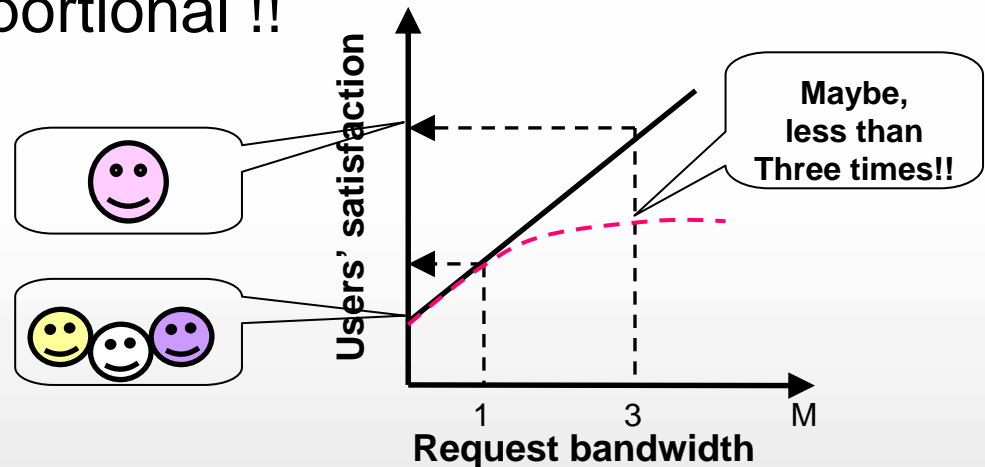
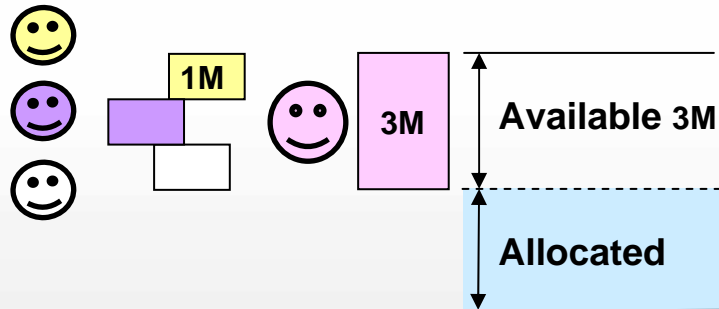
➤➤ “three flows of 1M” = “a flow of 3M”



➤ To improve **total users' satisfaction**

➤➤ “three flows of 1M” “a flow of 3M”

➤ have to give “request bandwidth” – “users' satisfaction” relation properly  
is NOT always proportional !!

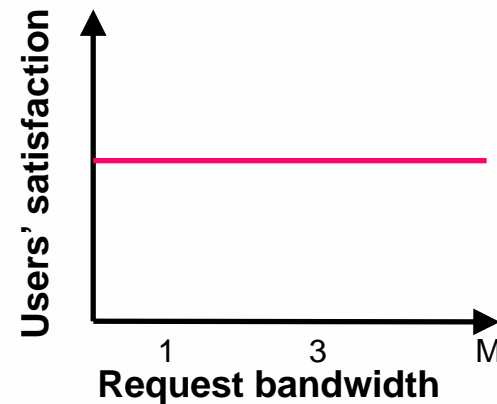
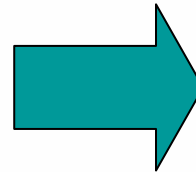
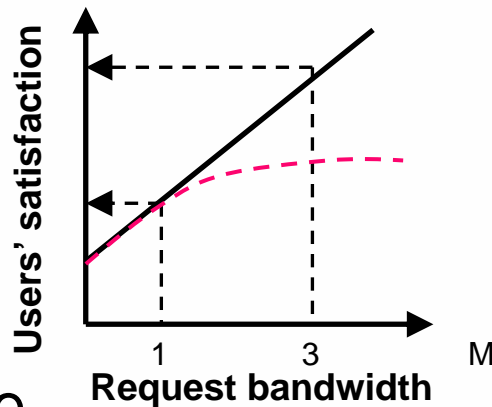


# Purpose of study




To improve total users' satisfaction

- Constant users' satisfaction (assumption)  
= Various bandwidths are fair



Purpose

- Maximize the total number of accommodated flows in a network.
- 
- Minimize the total number of blocked flows (total call-blocking rate) in a network.

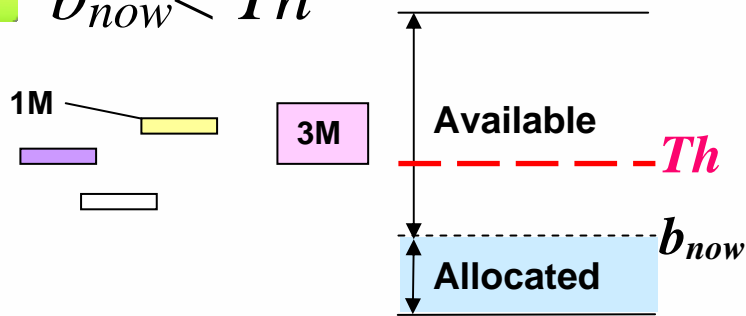
# Proposed CAC



## > Concept of new CAC

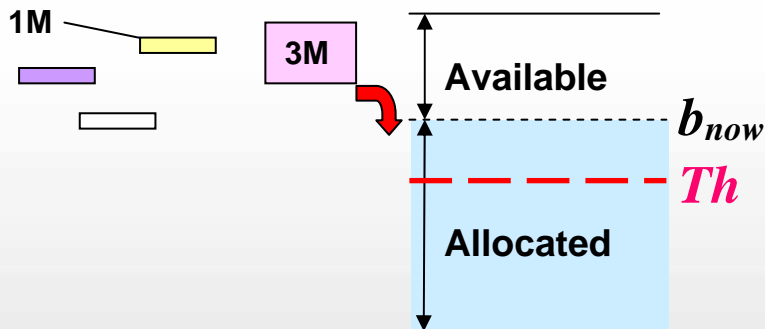
» Reject broadband flows for narrowband flows more than  $Th$

### > $b_{now} < Th$



$b_{now}$  : total accommodating bandwidth at the time  
 $Th$  : threshold that decides whether the accommodated broadband bandwidth

### > $b_{now} > Th$



Should configured  $Th$  appropriately to maximize the total number of accommodated flows.



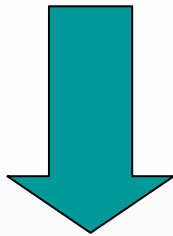
a theoretical analysis

# Model

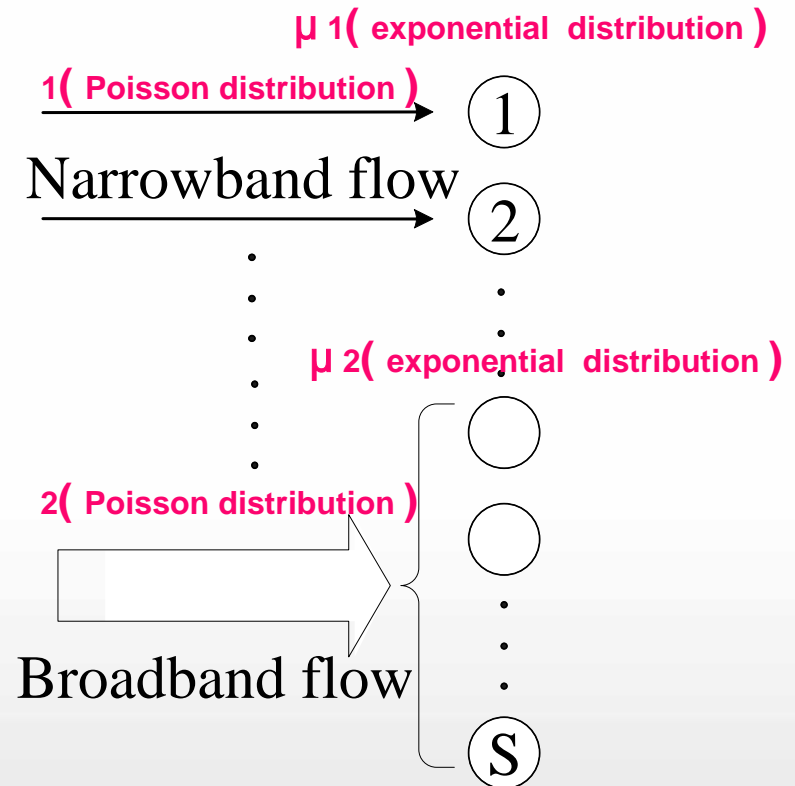


## ➤ $M_1M_2/M_1M_2/S/S$ (loss system)

- Only narrowband and broadband (Arrival flows)
- Narrowband flow (be normalized)
  - Occupies one server
- Broadband flow
  - Occupies  $b_2$  servers



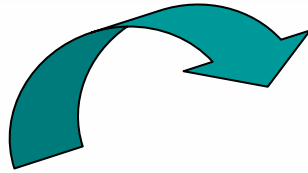
State transition diagram



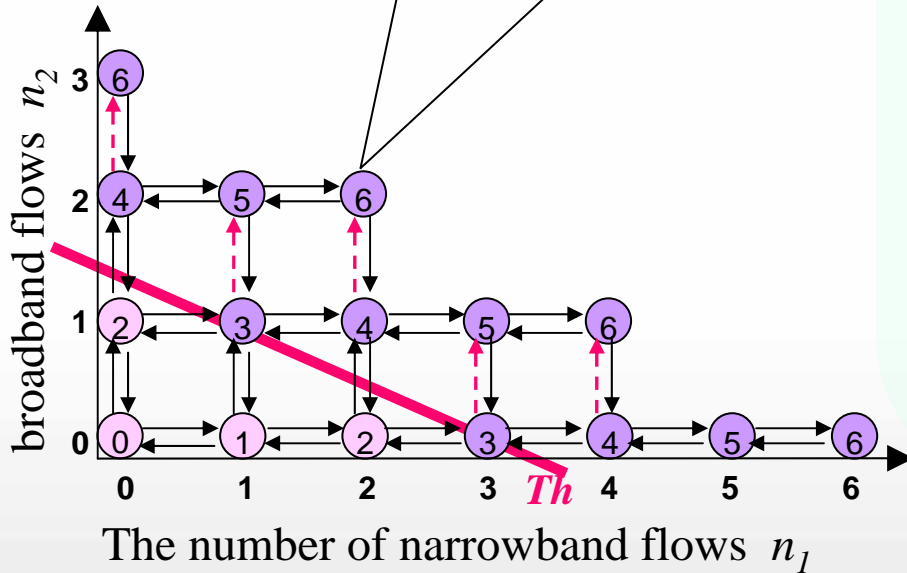
# State transition diagram



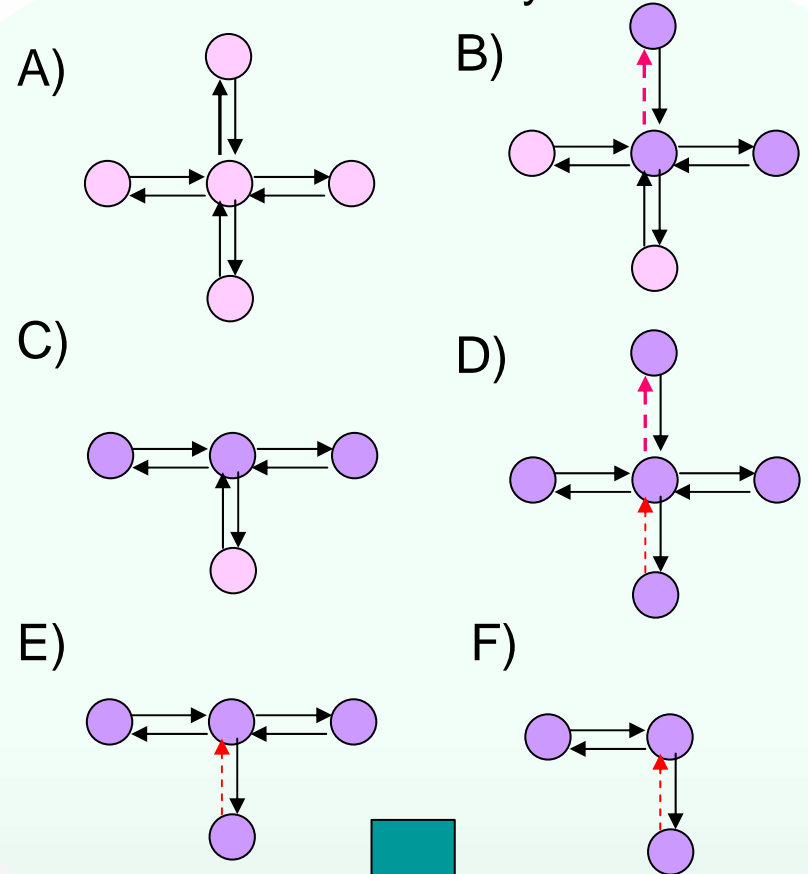
Ex)  $B=6, b_1=1, b_2=2, Th=3$



state probability  
 $P(n_1, n_2)$



Each State is divided by  $b_{now}$



State equations

# State equations



$$\begin{aligned} \text{A)} \quad & (\lambda_1 + \lambda_2 + n_1\mu_1 + n_2\mu_2)P(n_1, n_2) \\ & = \lambda_1 P(n_1 - 1, n_2) + \lambda_2 P(n_1, n_2 - 1) + \mu_1(n_1 + 1)P(n_1 + 1, n_2) + \mu_2(n_2 + 1)P(n_1, n_2 + 1) \end{aligned}$$

$$\begin{aligned} \text{B)} \quad & (\lambda_1 + n_1\mu_1 + n_2\mu_2)P(n_1, n_2) \\ & = \lambda_1 P(n_1 - 1, n_2) + \lambda_2 P(n_1, n_2 - 1) + \mu_1(n_1 + 1)P(n_1 + 1, n_2) + \mu_2(n_2 + 1)P(n_1, n_2 + 1) \end{aligned}$$

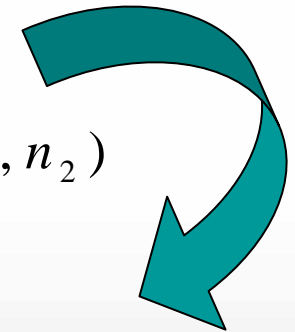
$$\begin{aligned} \text{C)} \quad & (\lambda_1 + n_1\mu_1 + n_2\mu_2)P(n_1, n_2) \\ & = \lambda_1 P(n_1 - 1, n_2) + \mu_1(n_1 + 1)P(n_1 + 1, n_2) + \mu_2(n_2 + 1)P(n_1, n_2 + 1) \end{aligned}$$

$$\begin{aligned} \text{D)} \quad & (\lambda_1 + n_1\mu_1 + n_2\mu_2)P(n_1, n_2) \\ & = \lambda_1 P(n_1 - 1, n_2) + \lambda_2 P(n_1, n_2 - 1) + \mu_1(n_1 + 1)P(n_1 + 1, n_2) \end{aligned}$$

$$\text{E)} \quad (\lambda_1 + n_1\mu_1 + n_2\mu_2)P(n_1, n_2) = \lambda_1 P(n_1 - 1, n_2) + \mu_1(n_1 + 1)P(n_1 + 1, n_2)$$

$$\text{F)} \quad (n_1\mu_1 + n_2\mu_2)P(n_1, n_2) = \lambda_1 P(n_1 - 1, n_2)$$

**Solve state probability  $P(n_1, n_2)$**



# Result

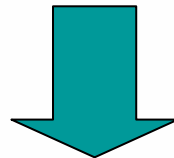


## ▶ After setting up $P(n_1, n_2)$

▶ **Narrowband call-blocking rate :**  $r_1 = \sum_{n_2=0}^{N_2'} p(B - b_2 n_2, n_2)$

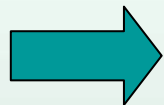
▶ **Broadband call-blocking rate :**  $r_2 = \sum_{n_2=0}^{N_2'} \sum_{n_1=Max[0, Th-b_2 n_2]}^{B-b_2 n_2} p(n_2, n_1)$

▶ **Total call-blocking rates :**  $r_{total} = \frac{\rho_1 r_1 + \rho_2 r_2}{\rho_1 + \rho_2}$



Traffic intensity :  $\rho_1 = 1 / \mu_1$   
 $\rho_2 = 2 / \mu_2$

Solve the minimum total call-blocking rate in full search of  $Th$



**optimal total call-blocking rate !**

# Characteristic analysis



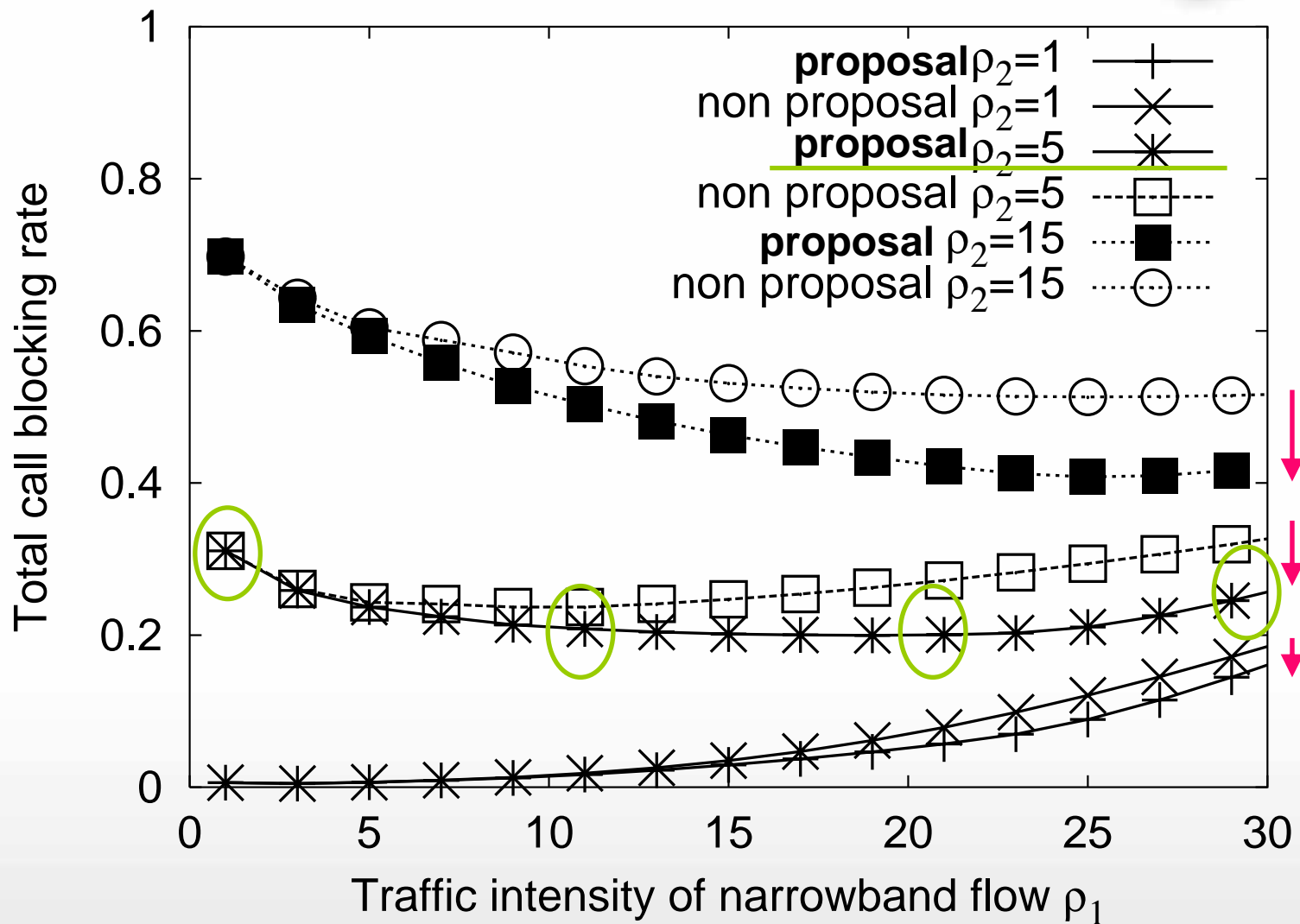
## > Parameter

- » Full band  $B=30$ [Mbps]
- » Narrowband flows  $b_1=1$ [Mbps],  
Broadband flows  $b_2=6$ [Mbps]
- » Processing rate  $\mu=1/45$ [flow/s]

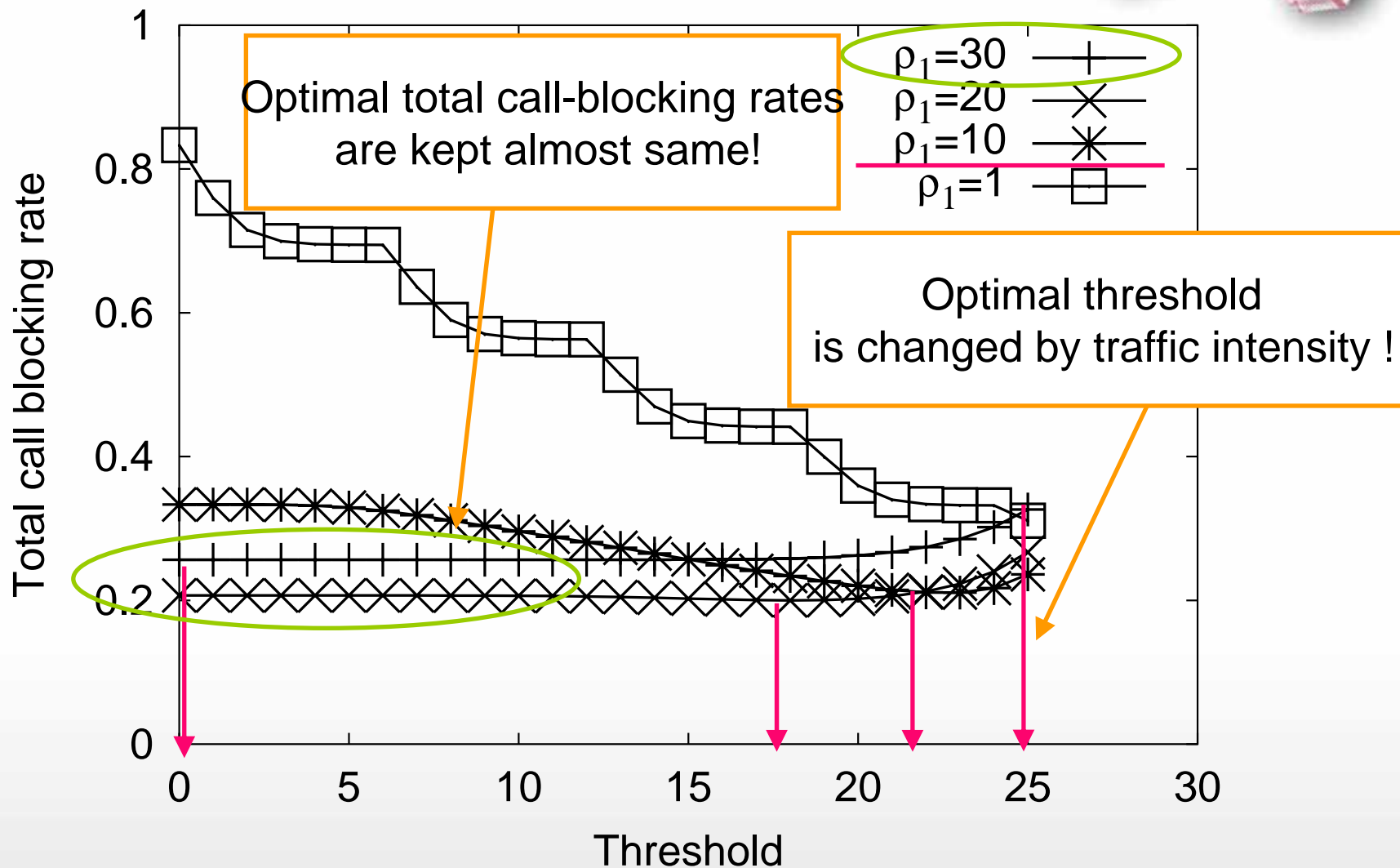
## > Characteristic analysis

- » (1) total call-blocking rates
- » (2) Relative total call-blocking rate and threshold

# (1) total call-blocking rates



# (2) total call-blocking rate and threshold ( $\rho_2=5$ )



# Summary and future works



## ➤ Summary

### ➤ Proposed CAC to improve total users' satisfaction

- Minimize the total number of flows rejected (total call-blocking rate) in a network (Constant users' satisfaction).

## ➤ Future works

### ➤ More applicative threshold method

- Obtain a suboptimal solution of total call-blocking rates

### ➤ Consideration relation request bandwidth and users' satisfaction

### ➤ Expand heterogeneous traffic model