



Precise Location Prediction Algorithms Using Improved Random Walk- based and Generalized Markovian Mobility Models

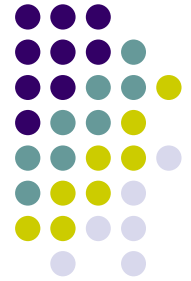
Károly Lendvai, Péter Fülöp, Sándor Szabó, Tamás Szálka
lendvaik@hit.bme.hu, fulopp@hit.bme.hu, szabos@hit.bme.hu, szalkat@mcl.hu
Budapest University of Technology and Economics, Department of
Telecommunication2, Magyar tudósok körútja, Budapest 1117, Hungary

Outline



- Motivation
- Mobility modeling approaches
- Random Walk Model Extension
- Proposition of a Markovian model with memory extensions
- Accuracy measurement results

Motivation



- Mobile and cellular network dimensioning
- Dynamic resource allocation in cells
- Justifying CAC decisions and QoS parameter tuning
- Predicting user distribution and motion drifts in network
- Estimating number of users in current and adjacent cells

Traditional mobility models

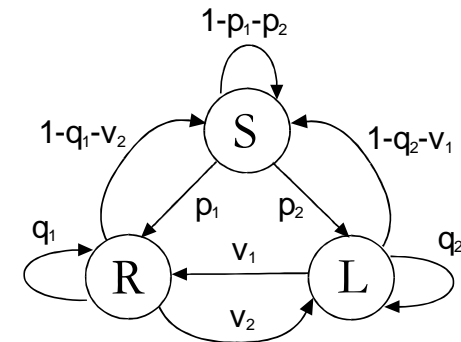
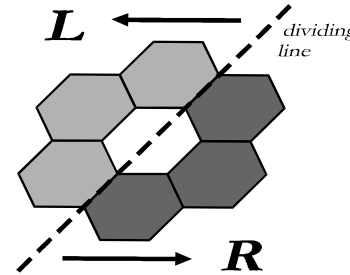


- Fluid models
- Random walk based algorithms
 - Traditional 2 dimensional RW model
 - RW model extended with exponential cell dwell time and variable velocity
 - Handover Vector based on historical handoff trace

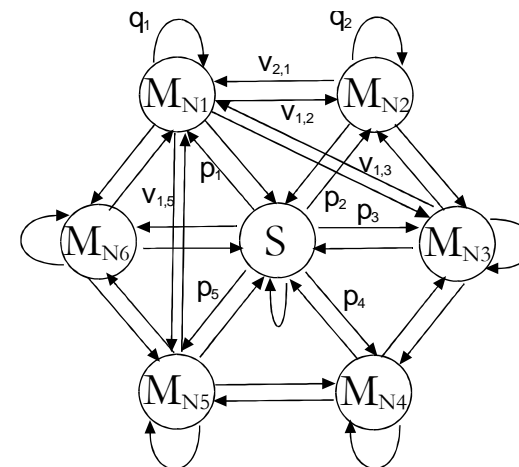
Markovian approaches



- 3-state Markov model (M3)
 - neighbour cells separated into 2 groups
 - stay (S), left-move (L)
right-move (R)



- 7-state Markov model (M7)
 - All neighbour cell as separated Markov state

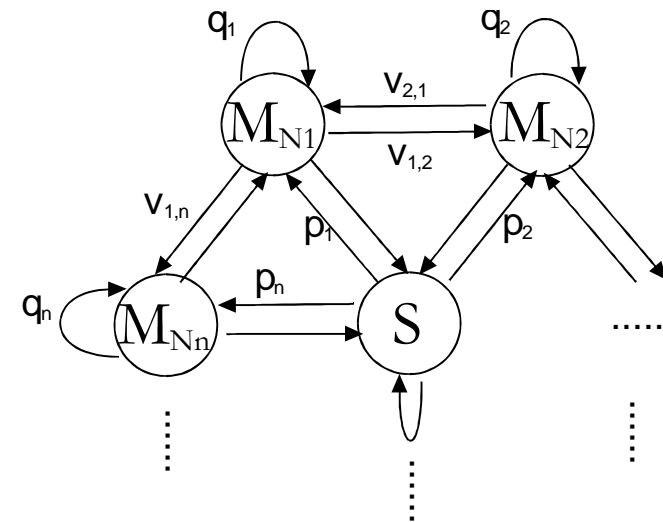


Markovian approaches



- n-state Markov model (Mn)
 - common model, n neighbour

$$\Pi = \begin{bmatrix} 1 - \sum_{m=1}^n p_m & p_1 & p_2 & \dots & \dots & \dots & p_n \\ 1 - q_1 - v_{1,2} - v_{1,n} & q_1 & v_{1,2} & \dots & \dots & \dots & v_{1,n} \\ \dots & \dots & \dots & \dots & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots & \dots & \dots \\ 1 - q_i - v_{i,i+1} - v_{i,i-1} & \dots & \dots & v_{i,i-1} & q_i & v_{i,i+1} & \dots \\ \dots & \dots & \dots & \dots & \dots & \dots & \dots \\ 1 - q_n - v_{n,1} - v_{n,n-1} & v_{n,1} & \dots & \dots & \dots & v_{n,n-1} & q_n \end{bmatrix}$$

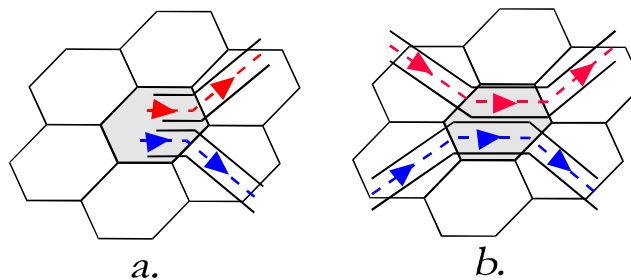


$$N_i(t+1) = N_i(t) \cdot P_S(i) + \sum_{j, C_j \in S_{adj}^i} N_j(t) \cdot P_{M_i}(j)$$

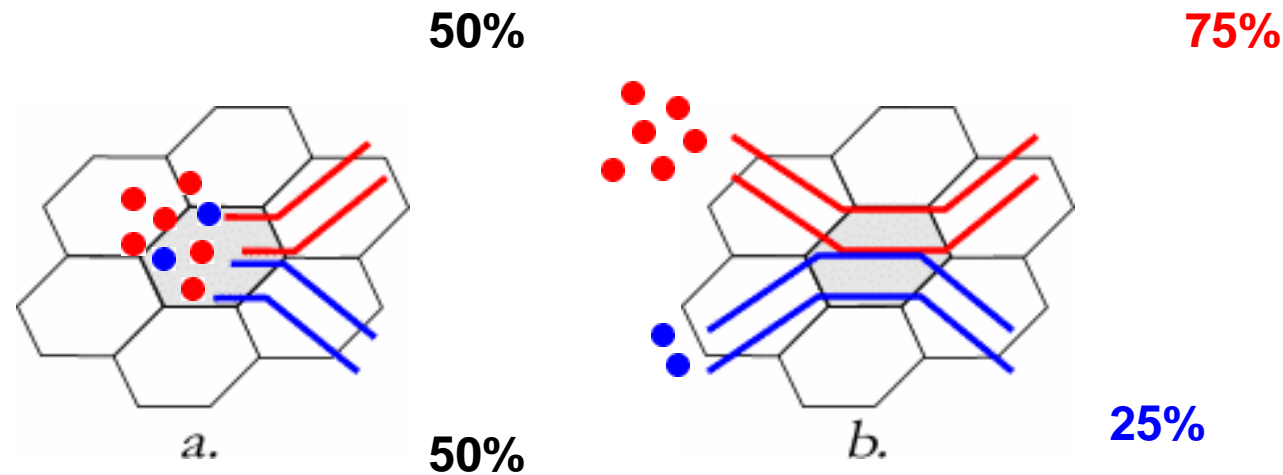
Markovian approaches with memory extensions



- Direction level memory
 - Differentiating outgoing directions (M3, M7)
- Time level memory
 - Recently visited cell-series



Analyzing time level memory

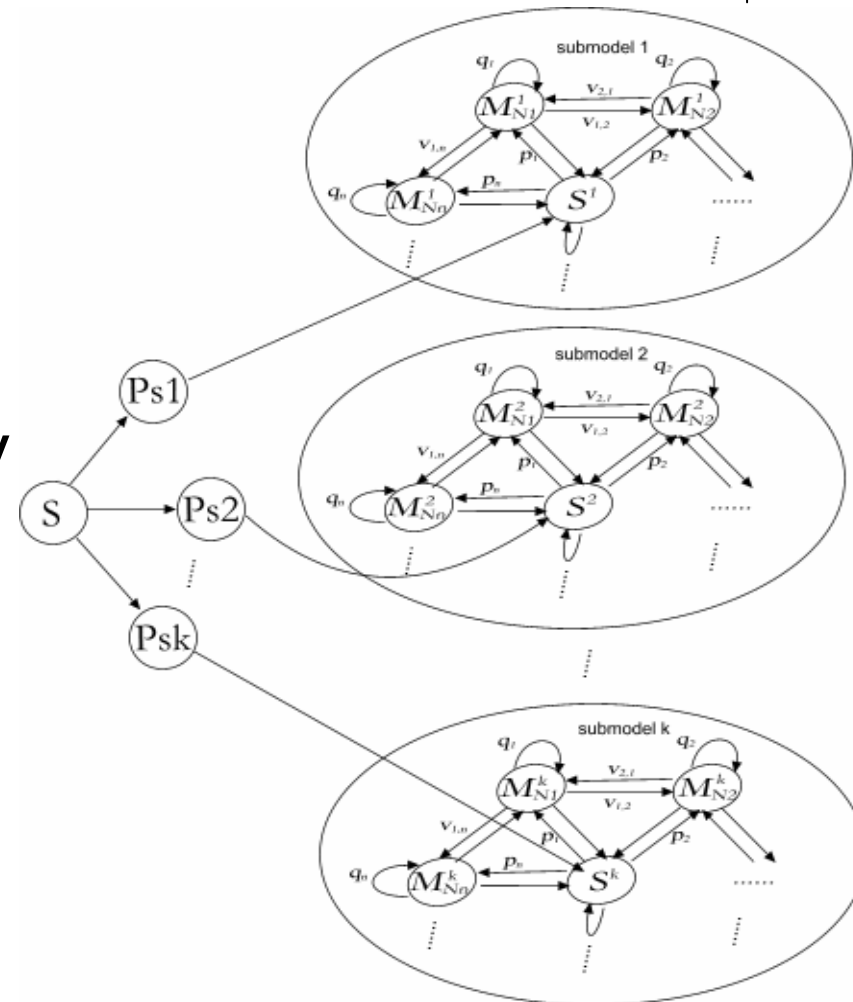


- Prediction **a**: outgoing users on two touching roads without memory - **inaccurate!**
- Prediction **b**: outgoing users on two touching roads with memory – prediction puts every user on the appropriate road

Extended Markov model with memory



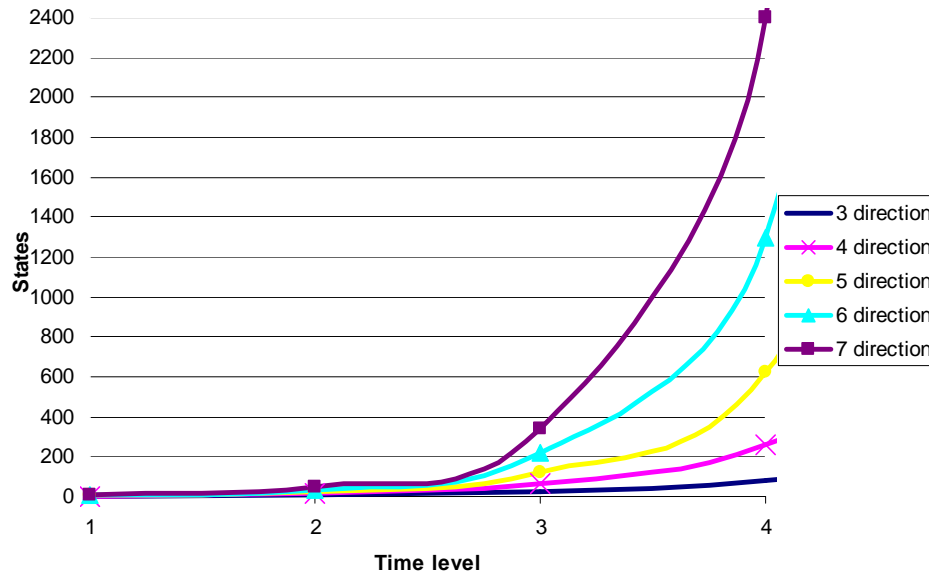
- Time level memory
 - Path States
($P_{s1}, P_{s2}, \dots, P_{sk}$)
 - Parallel sub-Markov models for different paths



Accuracy measurement results



The increase of number of states in case of different direction levels (3,4,5,6,7 states), and different time levels (1,2,3,4)



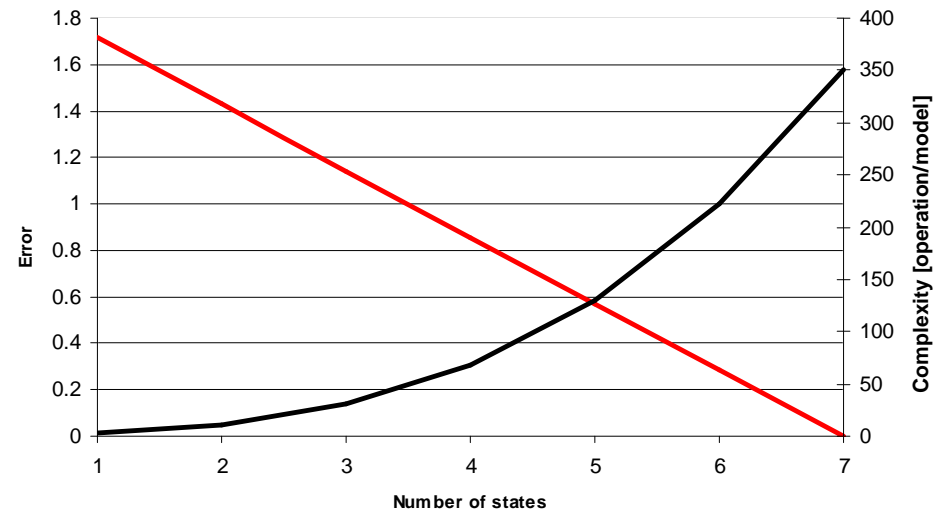
Mathematical complexity >

$$\sigma\left(M^3 + M + \frac{1}{M}\right)$$

Theoretical Worst Case Error >

$$1 - \frac{1}{N/M} + \frac{1}{N/M} * ((N/M) - 1)$$

Theoretical Worst Case Error vs. Mathematical complexity



Conclusion / Summary



- Random Walk model extension
- Markov-Chain based method for prediction
 - Direction Level (M3, M7, Mn)
 - Time Level

➔ efficient CAC or other QoS decisions

- Future Improvements
 - quantity calculations for time level Markov model
 - model error calculations



THANK YOU!

lendvaik@hit.bme.hu,
fulopp@hit.bme.hu,
szabos@hit.bme.hu,
szalkat@mcl.hu